

Syntax Analysis

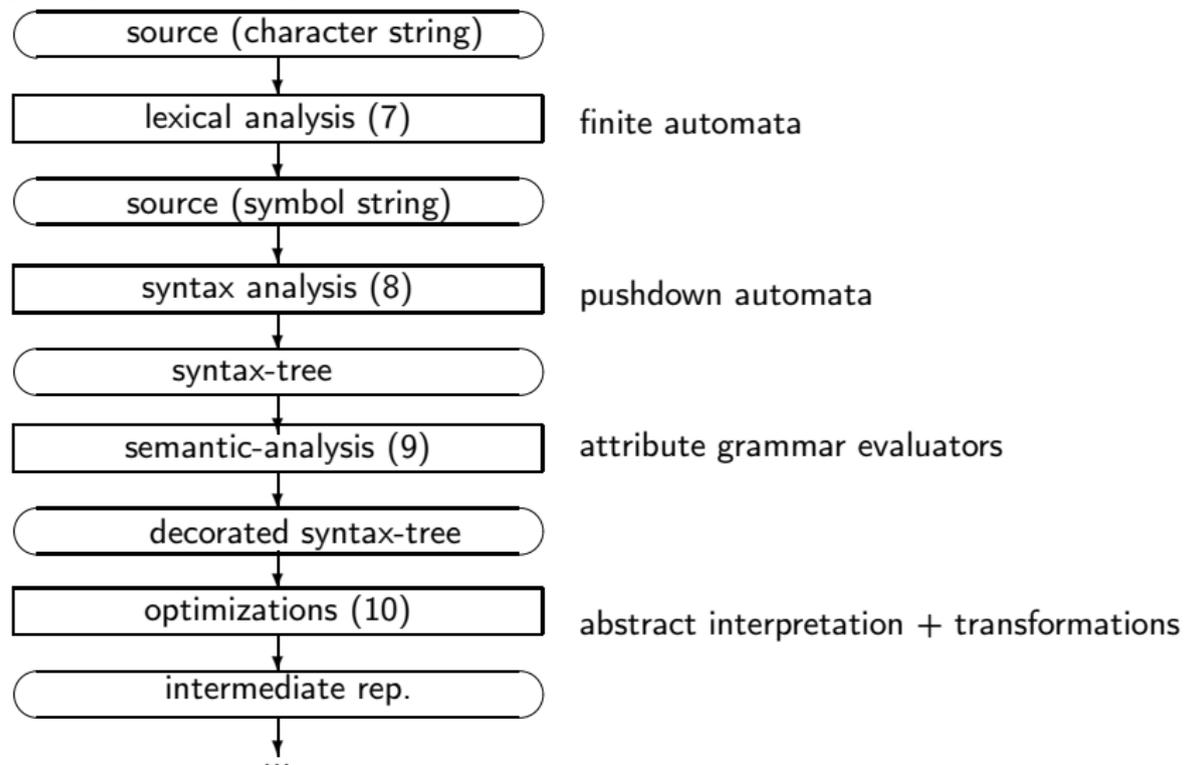
Reinhard Wilhelm
Universität des Saarlandes
wilhelm@cs.uni-sb.de
and
Mooly Sagiv
Tel Aviv University
sagiv@math.tau.ac.il

23. Oktober 2009

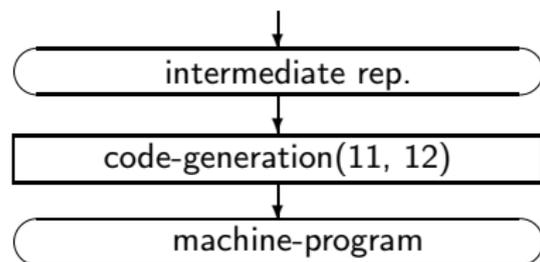
Subjects

- ▶ Introduction
 - ▶ The task of syntax analysis
 - ▶ Automatic generation
 - ▶ Error handling
- ▶ Context free grammars, derivations, and parse trees
- ▶ Grammar Flow Analysis
- ▶ Pushdown automata
- ▶ Top-down syntax analysis
- ▶ Bottom-up syntax analysis
- ▶ Bison — A parser generator

“Standard” Structure



“Standard” Structure cont'd



tree automata + dynamic programming + ...

Syntax Analysis (Parsing)

- ▶ Functionality
 - Input Sequence of symbols (tokens)
 - Output Parse tree
- ▶ Report syntax errors, e.g., unbalanced parentheses
- ▶ Create “pretty-printed” version of the program (sometimes)
- ▶ In many cases the tree need not be generated (one-pass compilers)

Note: Input is considered as a word over a new (finite) alphabet, i.e. the set of all symbol classes.

Handling Syntax Errors

- ▶ Report and locate the error (symptom)
- ▶ Diagnose the error
- ▶ Correct the error
- ▶ Recover from the error in order to discover more errors (without reporting too many follow up errors)

Example

$$a := a * (b + c * d;$$

The Valid Prefix Property

- ▶ For every word u that the parser identifies as a legal prefix, there exists a word w such that uw is a valid program — u has a **continuation** w
- ▶ Property of a parsing method
- ▶ All the parsing methods treated, i.e. LL-parsing and LR-parsing, have the valid prefix property.

Error Diagnosis Data

- ▶ Line number (may be far from the actual error)
- ▶ The current symbol
- ▶ The symbols expected in the current parser state
- ▶ Parser configuration

Error Recovery

- ▶ Becomes less important in interactive environments
- ▶ Example heuristics:
 - ▶ Search for a “significant” symbol and ignore the string up to this symbol (*panic mode*)
 - ▶ Try to “replace” symbols for common errors
 - ▶ Refrain from reporting more than 3 subsequent errors
- ▶ Globally optimal solutions — For every illegal input w , find a legal input w' with a “minimal distance” from w

Example Context Free Grammar (Section)

Stat	→	If_Stat While_Stat Repeat_Stat Proc_Call Assignment
If_Stat	→	if Cond then Stat_Seq else Stat_Seq fi if Cond then Stat_Seq fi
While_Stat	→	while Cond do Stat_Seq od
Repeat_Stat	→	repeat Stat_Seq until Cond
Proc_Call	→	Name (Expr_Seq)
Assignment	→	Name := Expr
Stat_Seq	→	Stat Stat_Seq; Stat
Expr_Seq	→	Expr Expr_Seq, Expr

Context-Free-Grammar Definition

A **context-free-grammar** is a quadruple $G = (V_N, V_T, P, S)$ where:

- ▶ V_N — finite set of **non-terminals**
- ▶ V_T — finite set of **terminals**
- ▶ $P \subseteq V_N \times (V_N \cup V_T)^*$ — finite set of **production rules**
- ▶ $S \in V_n$ — the **start non-terminal**

Examples

$$G_0 = (\{E, T, F\}, \{+, *, (,), \mathbf{id}\},$$

$$\{ E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F E)$$

$$F \rightarrow (E) \mid \mathbf{id}\},$$

$$G_1 = (\{E\}, \{+, *, (,), \mathbf{id}\}, \{E \rightarrow E + E \mid E * E \mid (E) \mid \mathbf{id}\}, E)$$

Derivations

A context-free-grammar $G = (V_N, V_T, P, S)$

▶ $\varphi \Longrightarrow \psi$

if there exist $\varphi_1, \varphi_2 \in (V_N \cup V_T)^*$, $A \in V_N$

▶ $\varphi \equiv \varphi_1 A \varphi_2$

▶ $A \rightarrow \alpha \in P$

▶ $\psi \equiv \varphi_1 \alpha \varphi_2$

▶ $\varphi \xrightarrow{*} \psi$ reflexive transitive closure

▶ The language defined by G

$$L(G) = \{w \in V_T^* \mid S \xrightarrow{*} w\}$$

Reduced and Extended Context Free Grammars

A non-terminal A is

reachable: There exist φ_1, φ_2 such that $S \xRightarrow{*} \varphi_1 A \varphi_2$

productive: There exists $w \in V_T^*$, $A \xRightarrow{*} w$

Removal of unreachable and unproductive non-terminals and the productions they occur in doesn't change the defined language.

A grammar is **reduced** if it has neither unreachable nor unproductive non-terminals.

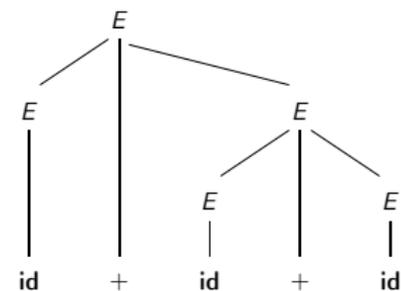
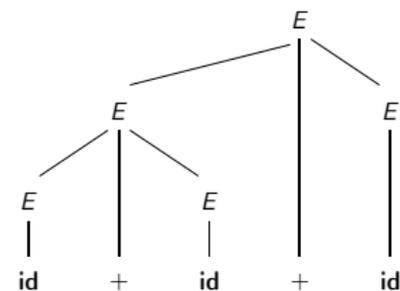
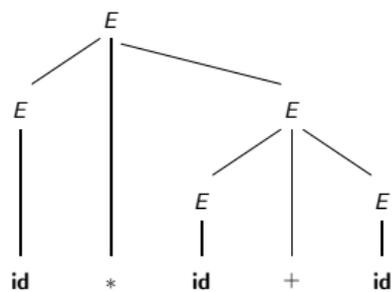
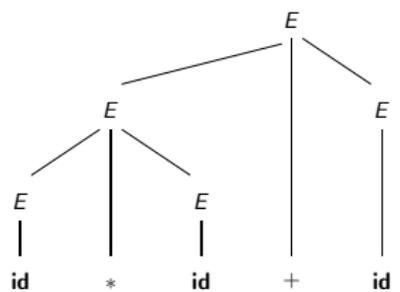
A grammar is **extended** if a new startsymbol S' and a new production $S' \rightarrow S$ are added to the grammar.

From now on, we only consider reduced and extended grammars.

Syntax-Tree (Parse-Tree)

- ▶ An ordered tree.
- ▶ Root is labeled with S .
- ▶ Internal nodes are labeled by non-terminals.
- ▶ Leaves are labeled by terminals or by ε .
- ▶ For internal nodes n : Is n labeled by N and are its children $n.1, \dots, n.n_p$ labeled by N_1, \dots, N_{n_p} , then $N \rightarrow N_1, \dots, N_{n_p} \in P$.

Examples



Leftmost (Rightmost) Derivations

Given a context-free-grammar $G = (V_N, V_T, P, S)$

- ▶ $\varphi \xRightarrow{lm} \psi$ if there exist $\varphi_1 \in V_T^*$, $\varphi_2 \in (V_N \cup V_T)^*$, and $A \in V_N$
 - ▶ $\varphi \equiv \varphi_1 A \varphi_2$
 - ▶ $A \rightarrow \alpha \in P$
 - ▶ $\psi \equiv \varphi_1 \alpha \varphi_2$ replace **leftmost** non-terminal

- ▶ $\varphi \xRightarrow{rm} \psi$ if there exist $\varphi_2 \in V_T^*$, $\varphi_1 \in (V_N \cup V_T)^*$, and $A \in V_N$
 - ▶ $\varphi \equiv \varphi_1 A \varphi_2$
 - ▶ $A \rightarrow \alpha \in P$
 - ▶ $\psi \equiv \varphi_1 \alpha \varphi_2$ replace **rightmost** non-terminal

- ▶ $\varphi \xRightarrow{lm}^* \psi$, $\varphi \xRightarrow{rm}^* \psi$ are defined as usual

Ambiguous Grammar

A grammar that has (equivalently)

- ▶ two leftmost derivations for the same string,
- ▶ two rightmost derivations for the same string,
- ▶ two syntax trees for the same string.